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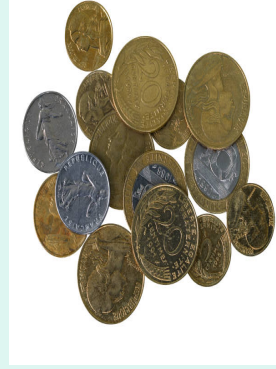
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# **Estimation of De Facto Exchange Rate Regimes: Synthesis of The Techniques for Inferring Flexibility and Basket Weights**



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and Shang-Jin Wei, Columbia University**



**IMF Annual Research Conference  
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# Summary

- A synthesis of two techniques for statistically estimating de facto exchange rate regimes:
  - (1) a technique that the authors have used to estimate implicit de facto weights when the hypothesis is a basket peg with little flexibility.
  - (2) a technique used by others to estimate the de facto degree of exchange rate flexibility when the hypothesis is an anchor to the dollar, but with flexibility around that anchor.
- Many currencies today follow variants of Band-Basket-Crawl => it is important to have a technique that can cover both dimensions: inferring weights and inferring flexibility.
- **We try out the approach**
  - on 20-some currencies,
  - over the period 1980-2007.

It is harder to classify a country's regime than one would think

- As is by now well-known, *de facto*  $\neq$  *de jure*.
- But it is genuinely difficult to classify most countries' *de facto* regimes, which are intermediate regimes, the Corners Hypothesis notwithstanding.

- Some currencies have basket anchors, often with some flexibility that can be captured either by a band or by leaning-against-the-wind intervention.
- Most basket peggers keep the weights secret. They want to preserve a degree of freedom from prying eyes, whether to pursue
  - a lower degree of de facto exchange rate flexibility, as China,
  - or a higher degree, as with others.
- This is a case of the necessity of distinguishing de facto from de jure exchange rate regimes, a task that has produced a lively recent sub-literature.
- But inferring de facto *weights* and inferring de facto *flexibility* are equally important, whereas most authors have hitherto done only one or the other.

# De jure regime $\neq$ de facto

- 1. Most “fixed” aren’t:** Countries declaring a peg, often abandon it.  
Only 6 major open economies had kept a peg > 5 yrs. -- Obstfeld & Rogoff (1995).  
Mean duration of pegs in Western. Hem.: 10 months -- Klein & Marion (1997).
- 2. Most “floating” aren’t:** “floaters” Var.of  $E$  (vs. Res) not > fixers’  
 $\equiv$  “Fear of Floating” -- Calvo & Reinhart (2002).
- 3. Most basket pegs aren’t.**  
Weights are kept secret  $\Rightarrow$  It takes more than 100 observations for  
an observer to distinguish a true basket peg statistically  
-- Frankel, Schmukler & Serven (2000)

*IFS* abandoned its de jure classification tables after 1999.

Dominant way to estimate de facto regimes:  
estimate degree of flexibility,  
typically presuming that \$ = anchor currency

- Calvo & Reinhart (2002):  
Variability of Exchange Rate ( $E$ )  
vs. *Reserves*.
- Levy-Yeyati & Sturzenegger (2005):  
cluster analysis based on Variability  
of  $E$  &  $\Delta E$ , and of  $\Delta Reserves$
- Shambaugh (2004) :  
Variability of  $E$  vs. base currency.

*But*, the de facto classification schemes give very different answers among themselves.

Why?

- Different ways of quantifying flexibility
- The correct anchor currency may not always be the dollar
- Most currencies cannot be neatly categorized on a spectrum of flexibility
  - For one thing, countries switch parameters and regimes frequently.



# Correlations Among Regime Classification Schemes

	IMF	GGW	LY-S	R-R
IMF	1.00 (100.0)			
GGW	0.60 (55.1)	1.00 (100.0)		
LY-S	0.28 (41.0)	0.13 (35.3)	1.00 (100.0)	
R-R	0.33 (55.1)	0.34 (35.2)	0.41 (45.3)	1.00 (100.0)

(Frequency of outright coincidence, in %, given in parenthesis.)

# The IMF now has its own “de facto classification”

-- BOR (Bubula & Otker-Robe, 2002) --  
still close to the official IMF one.

**Bénassy-Quéré, C., & M. (2004):** correlation (BOR, IMF) = .76

**Table 5**  
Coefficients of correlation between 3-item regime classifications

	Pre crises <sup>(a)</sup>				Post crises <sup>(b)</sup>			
	BQCM	LYS	IMF	BOR	BQCM	LYS	IMF	BOR
<i>Pre crises<sup>(a)</sup></i>								
BQCM	1							
LYS	0.19	1						
IMF	0.34	0.29	1					
BOR	0.28	0.26	0.63	1				
<i>Post crises<sup>(b)</sup></i>								
BQCM	0.24				1			
LYS		0.50			0.60	1		
IMF			0.58		0.62	0.69	1	
BOR				0.55	0.64	0.65	0.76	1

Source: Author's calculations.

(a) 1994–1997 (BQCM) or 1996 (LYS, IMF, BOR).

(b) 1999–2004 (BQCM) or 2000 (LYS, IMF, BOR).

# Another branch of the de facto regime literature estimates implicit basket weights:

Regress  $\Delta$  value of local currency against  $\Delta$  values of major currencies.

- First examples:
  - Frankel (1993) and Frankel & Wei (1994, 95).
- More:
  - Bénassy-Quéré (1999), Ohno (1999), Frankel, Schmukler, Servén & Fajnzylber (2001), Bénassy-Quéré, Coeuré, & Mignon (2004)....
- Example of China, post 7/05:
  - Eichengreen (2006) , Shah, Zeileis, & Patnaik (2005), Yamazaki (2006) and Frankel-Wei (2006, 07) .
  - Finding: RMB still pegged, with 95% weight on \$.

Implicit basket weights method --  
regress  $\Delta$  value of local currency against  
 $\Delta$  values of major currencies -- continued.

- Null Hypotheses: Close fit  $\Rightarrow$  a peg.
  - Coefficient of 1 on \$  $\Rightarrow$  \$ peg.
  - Or significant weights on other currencies  
 $\Rightarrow$  basket peg.
- **But** if the test rejects tight basket peg,  
what is the Alternative Hypothesis?

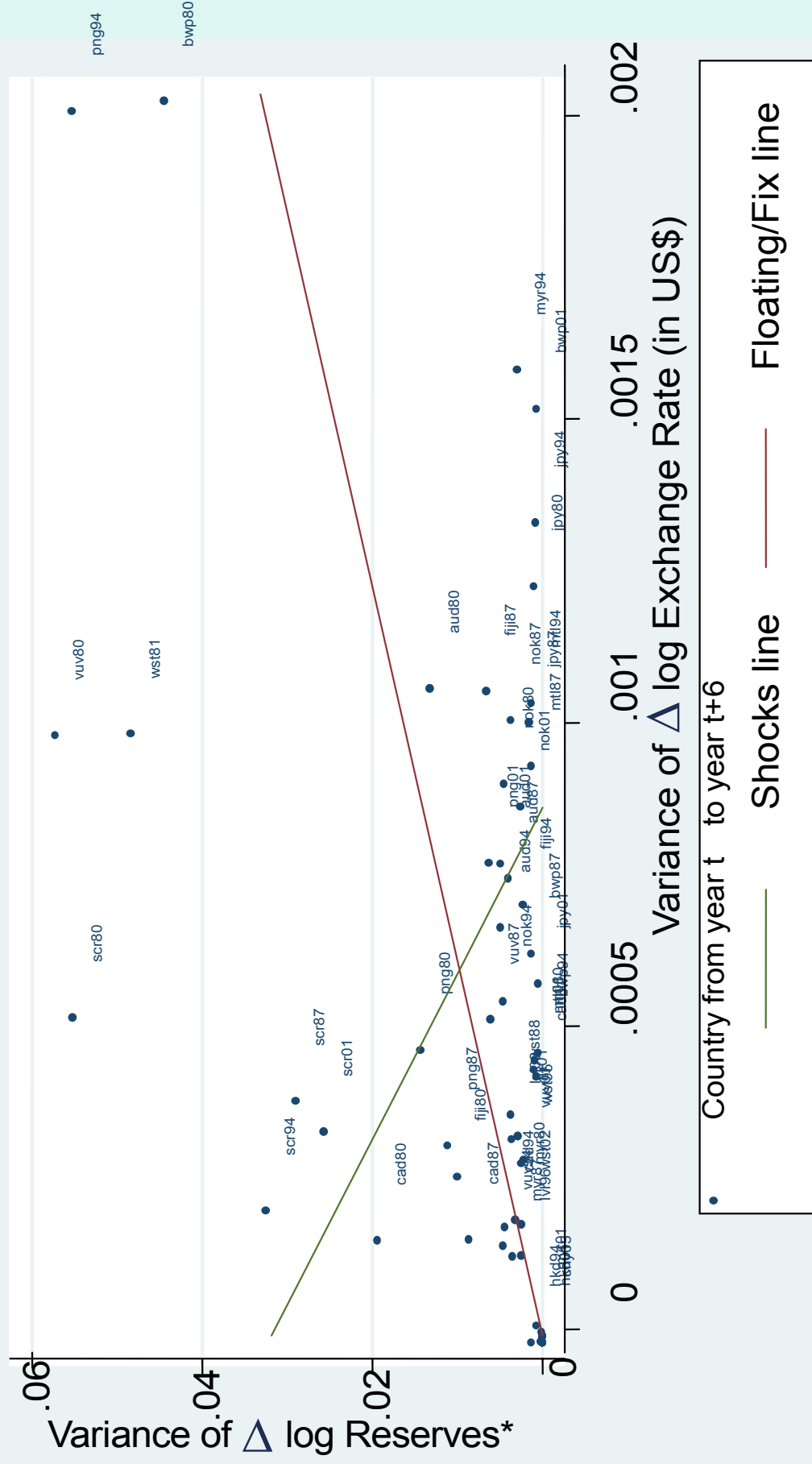
# A preliminary look at the data

- First set of countries examined:
  - 9 small countries that have been officially identified by the IMF as following basket pegs: Latvia, Papua New Guinea, Botswana, Vanuatu, Fiji, W.Samoa, Malta & the Seychelles.
  - 4 known floaters: Australia, Canada and Japan.
  - 3 peggers of special interest: China, Hong Kong & Malaysia.

- Within the period 1980-2007,
- variances of  $\Delta E$  &  $\Delta Reserves$  are computed for 7-year intervals
  - The aim in choosing this interval: long enough to generate reliable estimates of the parameters, and yet not so long as inevitably to include major changes in each country's exchange rate regime.
- All changes are logarithmic.
- We try subtracting imputed interest earnings from reported  $\Delta Reserves$  to get intervention.

# Figure 1: Comparison of Reserve Variability Vs. Exchange Rate Variability

1980-2007, in 7-year intervals



# Lessons from Figure 1

1. The folly of judging a country's exchange rate regime – the extent to which it seeks to stabilize the value of its currency – by looking simply at variation in the exchange rate.  
E.g.  $\text{Var}(\Delta E)$  for 1980-86 A\$ > 2001-07 ¥.  
But not because the A\$ more flexible.  
It is rather because Australia was hit by much larger shocks.  
One must focus on  $\text{Var}(\Delta E)$  relative to  $\text{Var}(\Delta Res)$
2. Countries that specialize in mineral products tend to have larger shocks.



## Lessons from Figure 1, continued

3. Even countries that float use FX reserves actively. E.g., Canada in the 1980s.
4. A currency with a firm peg (e.g., Hong Kong) can experience low variability of reserves, because it has low variability of shocks.

The low variability in international demand for the HK\$ must result from the stability & credibility that the currency board has itself achieved.

# Distillation of technique to infer flexibility

- When a shock increases international demand for korona, do the authorities allow it to show up as an appreciation, or as a rise in reserves?
- We frame the issue in terms of Exchange Market Pressure (EMP), defined as % increase in the value of the currency plus % increase in reserves (or monetary base, or M1).
- EMP appears on the RHS of the equation and the % increase in the value of the currency appears on the left,
  - a coefficient of 0 signifies a fixed  $E$  (no changes in the value of the currency),
  - a coefficient of 1 signifies a freely floating rate (no changes in reserves) and
  - a coefficient somewhere in between indicates a correspondingly flexible/stable intermediate regime.

# A limitation of papers that estimate flexibility

- They sometimes have choose arbitrarily the major currency in terms of which flexibility and stability are to be defined.
- The \$ is the most common choice.
  - This is fine for some countries.
  - But for Europe, the € is more relevant.
  - And for others -- in Asia/Pacific, the Middle East & parts of Africa -- the relevant foreign currency is neither the \$ nor the €, but some basket.
- It would be better to let the data tell us what is the relevant anchor for a given country, rather than making the judgment a priori.

# The technique that estimates basket weights

- Assuming the value of the home currency is determined by a currency basket, how does one uncover the currency composition & weights? This is a problem to which OLS is unusually well suited. We regress changes in the log of  $H$ , the value of the home currency, against changes in the log values of the candidate currencies.
- Algebraically, if the value of the home currency  $H$  is pegged to the values of currencies  $X_1, X_2, \dots$  &  $X_n$ , with weights equal to  $w_1, w_2, \dots$  &  $w_n$ , then

$$\Delta \log H(t) = c + \sum w(j) [\Delta \log X(j)] \quad (1)$$

- If the exchange rate is truly governed by a strict basket peg, then we should be able to recover the true weights,  $w(j)$ , precisely, so long as we have more observations than candidate currencies; and the equation should have a perfect fit.

# The question of the numeraire

- Methodology question: how to define “value” of each currency. [\[1\]](#)
- In a true basket peg, the choice of numeraire currency is immaterial; we estimate the weights accurately regardless. [\[2\]](#)
- In practice, few countries take their basket pegs literally enough to produce such a tight fit. One must then think about non-basket factors in the regression (EMP, the trend term, error term): Are they better measured in terms of one numeraire or another?
- In this paper we choose as numeraire the SDR
- We also check how much difference the numeraire choice makes.
  - by trying the Swiss franc as a robustness check
  - and in Monte Carlo studies

[\[1\]](#) Frankel(1993) used purchasing power over a consumer basket of domestic goods as numeraire; Frankel-Wei (1995) used the SDR; Frankel-Wei (1994, 06), Ohno (1999), and Eichengreen (2006) used the Swiss franc; Bénassy-Quéré (1999), the \$; Frankel, Schmukler and Luis Servén (2000), a GDP-weighted basket of 5 major currencies; and Yamazaki (2006), the Canadian \$.

[\[2\]](#) assuming weights add to 1, and no error term, constant term, or other non-currency variable.

## Synthesis equation

$$\Delta \log H(t) = c + \sum w(j) \Delta[\log X(j, t)] + \beta \{ \Delta \log EMP(t) \} + u(t) \quad (2)$$

where  $\Delta \log EMP(t) \equiv \Delta[\log H(t)] + [\Delta \log Res(t)]$ .

We impose  $\sum w(j) = 1$ , implemented by treating £ as the last currency.

## Table 2 reports OLS estimates.

- Some additional currencies that had basket pegs in the past (Chile, Indonesia, Kuwait, Norway, Thailand...)
- 4-year sub-samples estimated for each country

## One concern: endogeneity of the exchange market pressure variable

- One would prefer to observe changes in the international demand for the home currency known to originate in exogenous shocks.
- In the case of countries that specialize in the production of mineral or agricultural commodities, there is a ready-made IV: changes in the price of the commodity on world markets.
- Accordingly, Tables 3 repeat the synthesis estimation technique, but for the commodity producers it uses changes in the world price of the commodity in question as an IV for changes in EMP.



# Findings

First we test out the synthesis technique  
on some known \$ peggers

- **RMB** (Table 2.5):

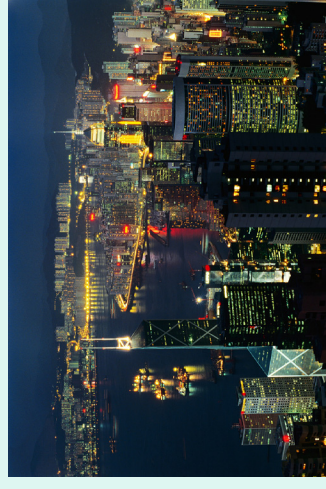
- a perfect peg to the dollar during 2001-04 (\$ coefficient = .99, flexibility coefficient insignificantly different from 0, &  $R^2 = .99$ ).

- In 2005-07 the EMP coefficient suggests that only 90% of increased demand for the currency shows up in reserves, rather than 100%; but the \$ weight and  $R^2$  are as high as ever.

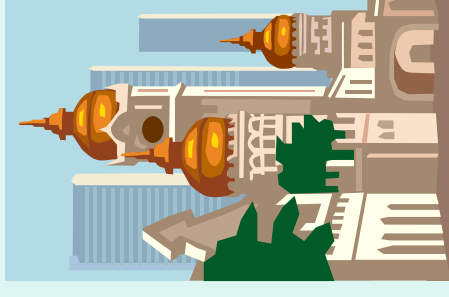


- **Hong Kong \$** (Table 2.8):

- close to full weight on US\$, 0 flexibility, & perfect fit.

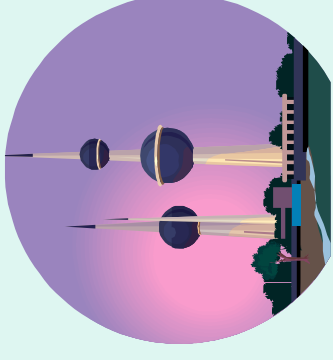


# To address endogeneity of EMP, we use commodity prices as IV



- Malaysian ringgit (Table 2.11) OLS.
  - Only in 1996-99 is there evidence of exchange rate flexibility (Asia crisis).
  - During 2000-03 there is a perfect peg to the \$ (coefficient \$ R2 both =1).
  - In 2004-07 the peg is still fairly strong, but here the weight of the US\$ falls to .6, partially replaced by the Singapore \$ (weight = .4).
- IV = prices of tin & semiconductors (Table 3.6)
  - Again, a perfect \$ peg during 2000-03,
  - followed by shift to a basket consisting of an average of the US \$ + the Singapore \$.

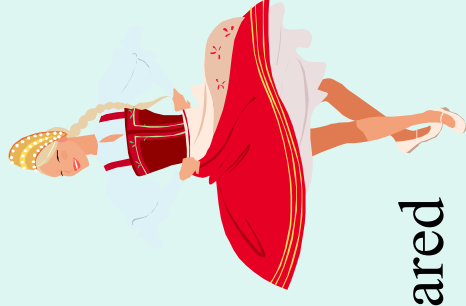
# Another commodity-producing pegger



- **Kuwaiti dinar** shows a firm peg throughout most of the period: a near-zero flexibility parameter, &  $R2 > .9$  (IV estimates in Table 3.5; IV= price of oil).
- A small weight was assigned to other currencies in the 1980s basket,
- but in the 2<sup>nd</sup> half of the sample, the anchor was usually a simple \$ peg.

# A first official basket pegger

which is on a path to the €



- The Latvian lat (Table 2.10)

- Flexibility is low during the 1990s, and has disappeared altogether since 2000.  $R2 > .9$  during 1996-2003.
- The combination of low flexibility coefficient and a high  $R2$  during 2000-03 suggests a particularly tight basket peg during these years.
- Initially the estimated weights include .4 on the \$ and .3 on the ¥, but both decline over time. There is a weight of .3 on the DM up until 1999, which is then transferred to the €:
  - .2 in 2000-03 and .5 in 2004-07.

# A 2nd official basket pegger

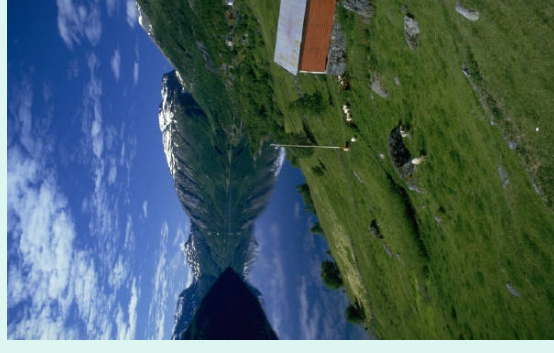
also on a path to the €



- The Maltese lira (Table 2.12)

- a tight peg during 1984-1991 and 2004-07 (low flexibility coefficient & high R2).
- During 1980-2003, weight on the \$ is .2 -.4.
- During 1980-1995, the European currencies garner .3-.4, the £ .2-.3 & the ¥ .1.
- At the end of the sample period, the weight on the € rises almost to .9.

# 3<sup>rd</sup> official basket pegger



- **Norwegian kroner** (Table 2.14)
  - The estimates show heavy intervention.
  - Weights are initially .3 on the \$ and .4 on European currencies (+ perhaps a little weight on ¥ & £ ).
  - But the weight on the European currencies rises at the expense of the \$, until the latter part of the sample period shows full weight on the € and none on the \$.
  - Table 3.8 uses the world oil price as IV for EMP, with results similar to OLS.

# 4<sup>th</sup> official basket pegger

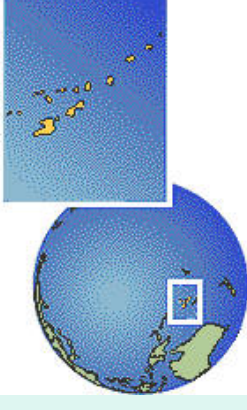


- Seychelles rupee (Table 2.17)
  - confirms its official classification, particularly in 1984-1995: not only is the flexibility coefficient essentially 0, but  $R^2 > .97$ .
  - Estimated weights: .4 on the \$,
    - .3 on the European currencies,
    - .2 on the ¥ and
    - .1 on the £.
  - After 2004, the \$ weight suddenly shoots up to .9 .



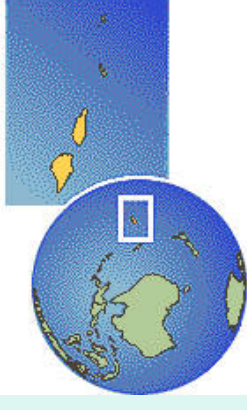
## 2 Pacific basket peggers

- **Vanuatu** (Table 2.19)



- relatively low exchange rate flexibility and a fairly close fit.
- The estimates suggest roughly comparable weights on the \$, ¥, €, and £.

- **Western Samoa** (Table 2.20)



- heavy intervention during the first 3 sub-periods,
- around a basket that weights the \$ most, and the ¥ 2<sup>nd</sup>.
- After 1992, there is more flexibility.
- The weights in the reference basket during 2000-2003 are similar to the earlier period, except that the € now receives a large significant weight (.4).

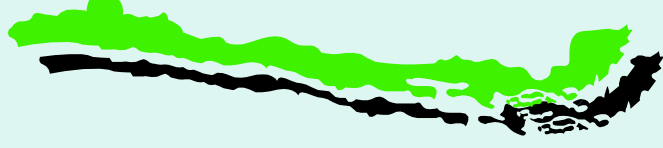


## A BBC country,

rare in that it announced explicitly the parameters:

basket weights, band width and rate of crawl.

- **Chile in the 1980s & 1990s** (Table 2.4)
  - $R^2 > .9$ .
  - The \$ weight is always high, but others enter too.
  - Significant downward crawl 1980-99.
- Estimates qualitatively capture Chile's
  - shift from \$ anchor alone in the 1980s, to a basket starting in 1992.
  - move to full floating in 1999.

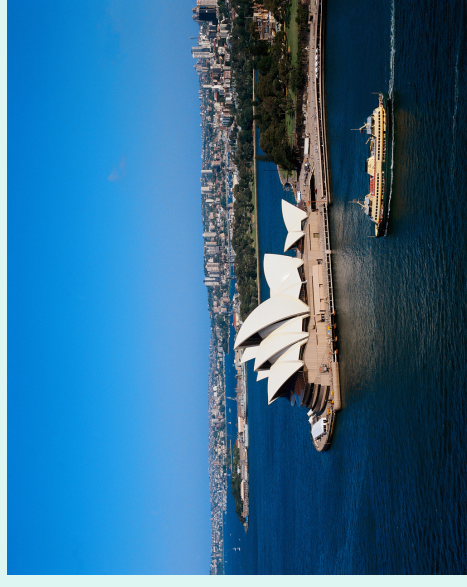


## Chile, continued

- But the estimates do not correspond perfectly to the policy shifts of 1992 & 1999
- Possible explanations for gap between official regime and estimates include:
  - De facto  $\neq$  de jure
  - Endogeneity of the EMP variable
    - can be addressed by IV (price of copper) in Table 3.3.
    - At least the spurious coefficient on the ¥ in the mid-1980s disappears.
  - Parameter changes more frequent than the 4-year sub-periods.
    - The Chilean authorities announced 18 changes in regime parameters (weights, width, and rate of crawl) during the 18-year period 1982 -1999.
    - The difficulty is that we have only monthly data on reserves, for most countries  $\Rightarrow$  it is not possible to estimate meaningful parameter values if they change every 12 months on average.

# Floaters

- Australian \$ (Table 2.1)
  - The coefficient on EMP shows less flexibility than one would have expected, given that the currency is thought to have floated throughout this period.
  - Perhaps the problem is endogeneity of EMP.
  - World commodity prices are a natural IV. (Table 3.1)
  - For each sub-period, the estimated flexibility coefficient is indeed higher than it was under OLS, but still far below 1.



Recurrent finding: IV estimate on EMP  
is higher than OLS estimate  
(but lower in significance)

- Floaters: IV estimates for Canadian \$, as with A\$, show flexibility parameters in each sub-period higher than they were under OLS, but surprisingly insignificant statistically.
- IV also raises flexibility coefficient for Intermediate regimes:
  - Thailand (Table 3.11) IV = price of rice
  - W.Samoa (Table 3.12) IV = price of coconuts.

# Extensions

- Allow coefficients to vary over time, even within the 4-year sub-samples (Tables 4.1-4.10) ;
- Relax constraint that  $[\Delta \log H]$  and  $[\Delta \log Res]$  enter with the same coefficient (Tables 5.1-5.8);
- Insert  $\Delta$  Interest rate alongside  $\Delta$  Reserves &  $\Delta E$  (Tables 6.1-6.5) ;
- Check for robustness with respect to the numeraire unit used to define currency values: Sw.franc vs. SDR (Table 7)

# Monte Carlo study on fabricated currency regimes

- Two kinds of flexibility
  - Leaning  $\frac{1}{2}$  -way against the wind of EMP fluctuations (Table 8.1)
  - Or else constrained to remain in a 5% band (Table 8.2)
- Two anchors
  - \$ peg
  - Basket: 1/3 \$, 1/3 €, 1/3 ¥
- The synthesis technique generally gives the right answer.

# Monte Carlo exchange rate under simulated basket+band regime

(with parameters from Papua New Guinea)

